



台灣自動即時預報系統(TANC)之 午後對流啟始預報評估

張惠玲 吳佳蓉 林允才 唐玉霜 黃蕨芃 陳嘉榮

中央氣象局衛星中心



生活有氣象



The nowcast of afternoon convective storm initiation is still a challenging task.

Afternoon convective storm cases in 2014

<i>Case date: No. of validation times</i>	<i>Start-end</i>
<i>30 Jun (34)</i>	<i>0606 - 0930 UTC</i>
<i>01 Jul (24)</i>	<i>0730 - 0948 UTC</i>
<i>27 Aug (33)</i>	<i>0618 - 0930 UTC</i>
<i>29 Aug (30)</i>	<i>0718 - 0906 UTC 0930 - 1030 UTC</i>
<i>09 Sep (20)</i>	<i>0730 - 0930 UTC</i>

Total: 141 1-h nowcasts

Outline

➤ *Verification and Analysis Methods*

➤ *Sensitivity Tests on Verification*

- Sensitivity of Scores to Probability Thresholds
- Sensitivity of Scores to Spatial Relaxation
- Sensitivity of Scores to Temporal Relaxation

➤ *Comparison of TANC and STMAS-WRF*

➤ *Summary*



Verification and Analysis Methods

Conversion of probabilistic to Y/N forecasts

Forecast field

0.3	0.4	0.5
0.5	0.7	0.8
0.8	0.9	0.9

↓ If Pt = 0.8

N	N	N
N	N	Y
Y	Y	Y

↓

c	c	c
n	m	h
f	h	h

Verification field

0	0	3
0	2	2
0	2	1

↓

N	N	N
N	Y	Y
N	Y	Y

↓

0: no storm

1: new storm

2: ongoing storm

3: decaying storm

		Fcst	
		Y	N
Obs	Y	h (hits)	m (misses)
	N	f (false alarms)	C (correct rejection)

Kuiper score (KS)

- Answers the question: How well did the forecast separate the events from the non-events?

$$KS = \frac{ch - mf}{(c + f)(h + m)} = H - F$$

Range : -1 to 1

1: perfect score

> 0: skillful forecast

H : hit rate

F : false alarm rate

- Possesses “equitability” (Gandin and Murphy 1992)
- Is universally acceptable for evaluating Y/N forecasts for scientific purposes (Woodcock 1976)

Relaxation method

-from pixel-to-pixel to $(2N+1) \times (2N+1)$ neighborhood

For example, $N=1$

Forecast field

	Y	

Verifying grid point

Verification field

Y		

There is "Y" within the 3X3 neighborhood

Hit

$\rightarrow h$ increases

N	N	N
N	N	N
N	N	N

There is no "Y" within the 3X3 neighborhood

False alarm

$\rightarrow f$ decreases

Relaxation method

-from pixel-to-pixel to $(2N+1) \times (2N+1)$ neighborhood

Forecast field

N	N	N
N	N	N
N	N	N

Miss

→ m decreases

No pixel in the 3X3 neighborhood is "Y"

Correct rejection

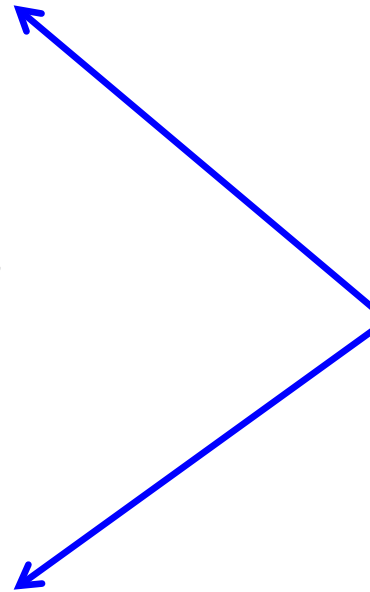
Y		
	N	

None of the above categories

Verification field

	Y	

Verifying grid point



Sensitivity Tests on Verification

- *Sensitivity of scores to probability thresholds*
- *Sensitivity of scores to spatial relaxation*
- *Sensitivity of scores to temporal relaxation*



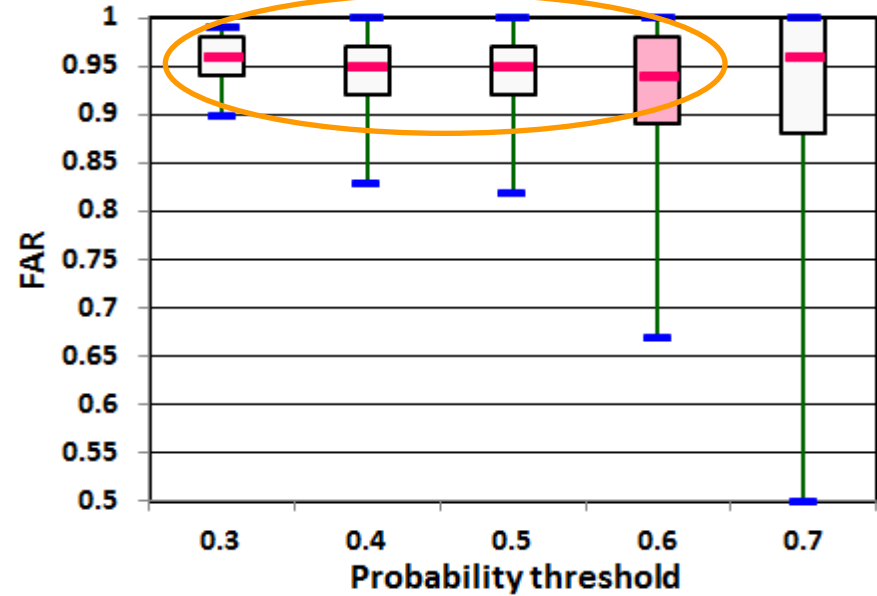
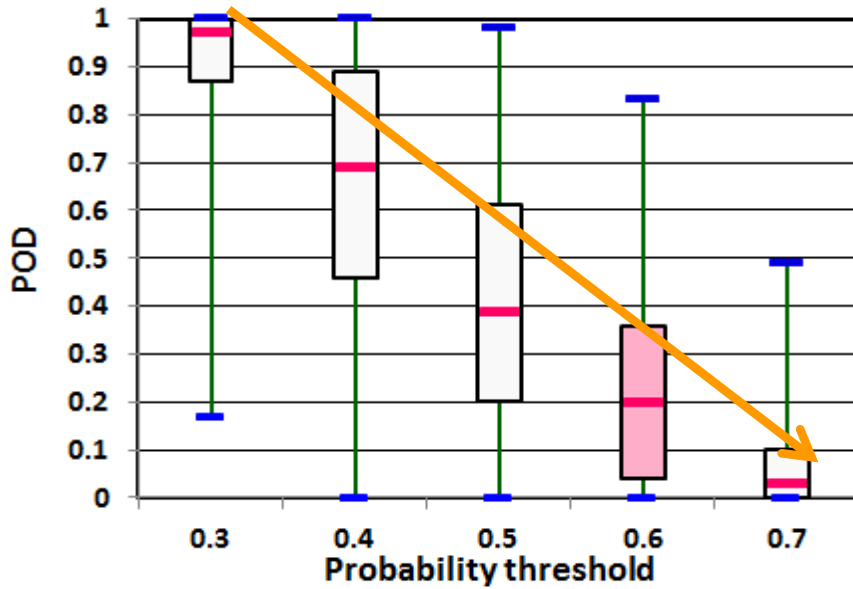
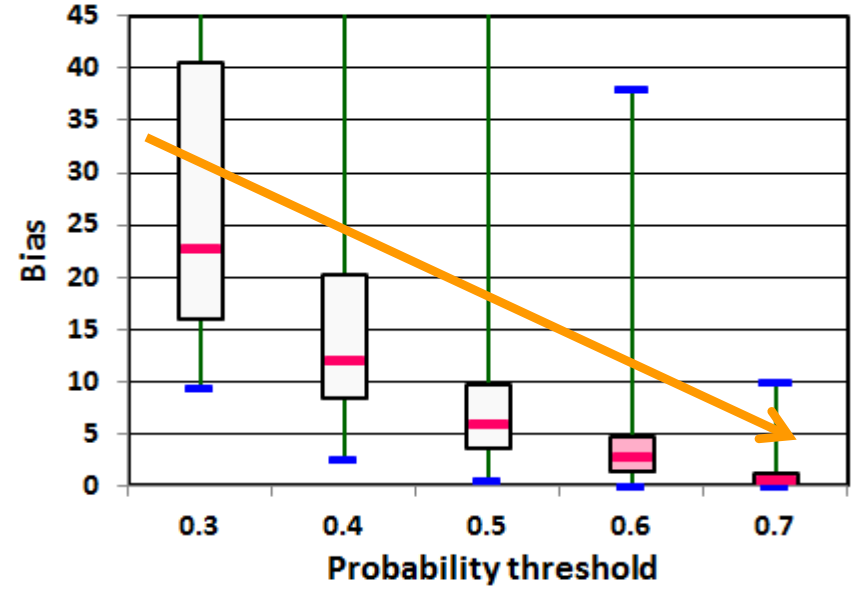
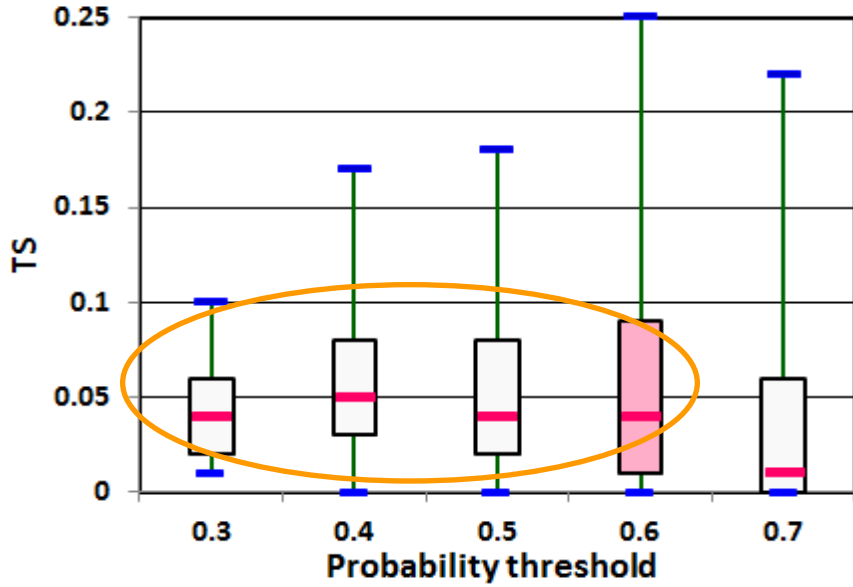
Sensitivity of scores to probability thresholds

The TANC provides the likelihood of convective storm initiation.

*What probability means
the event will happen?*

What's the optimal probability threshold?

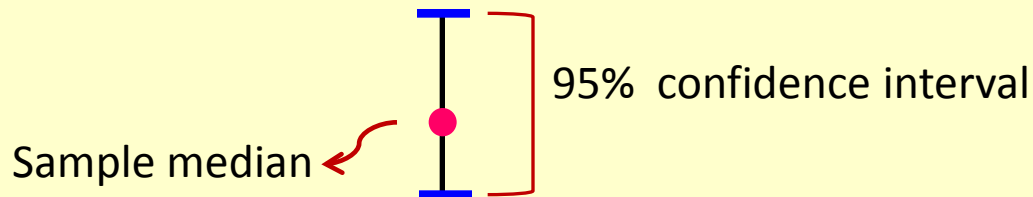
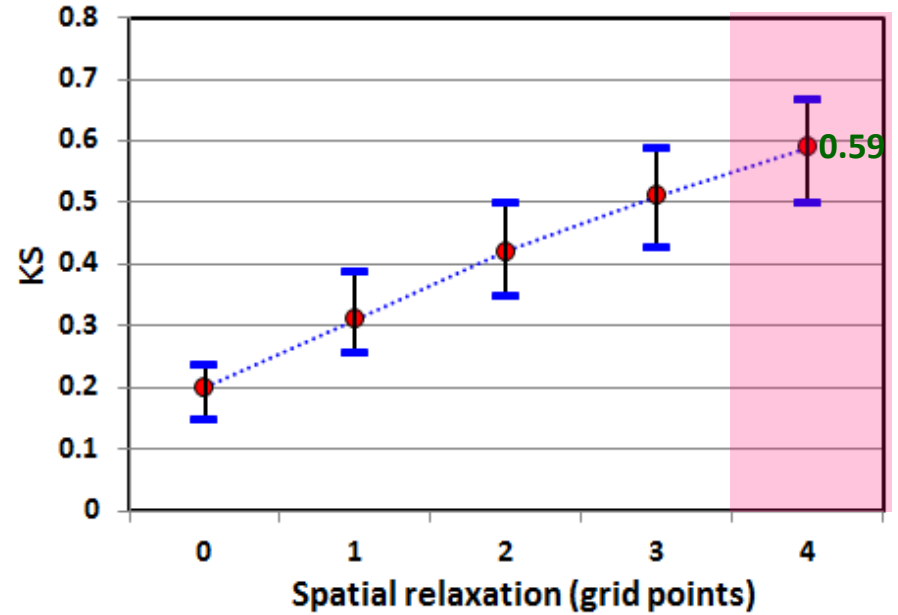
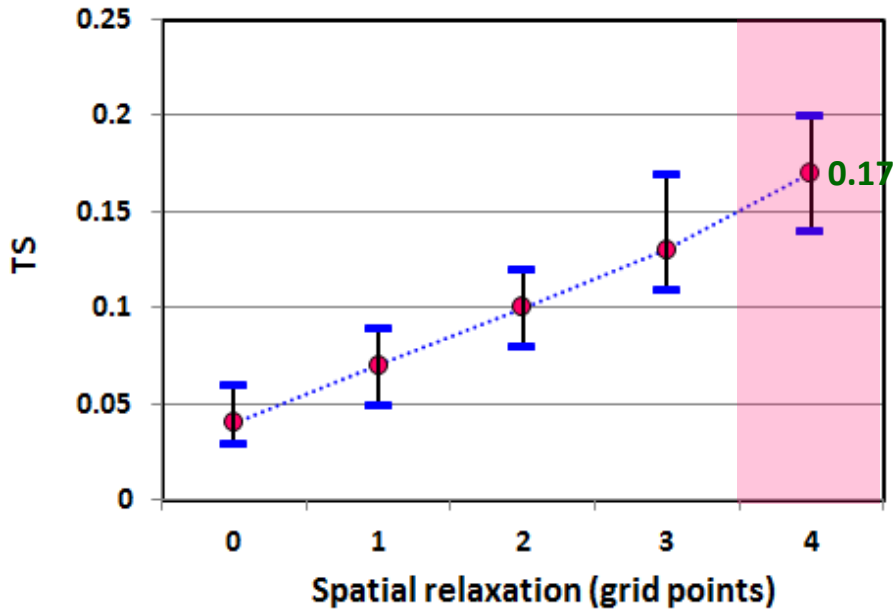
Sensitivity of scores to probability thresholds



Q : How to choose the optimal probability threshold?

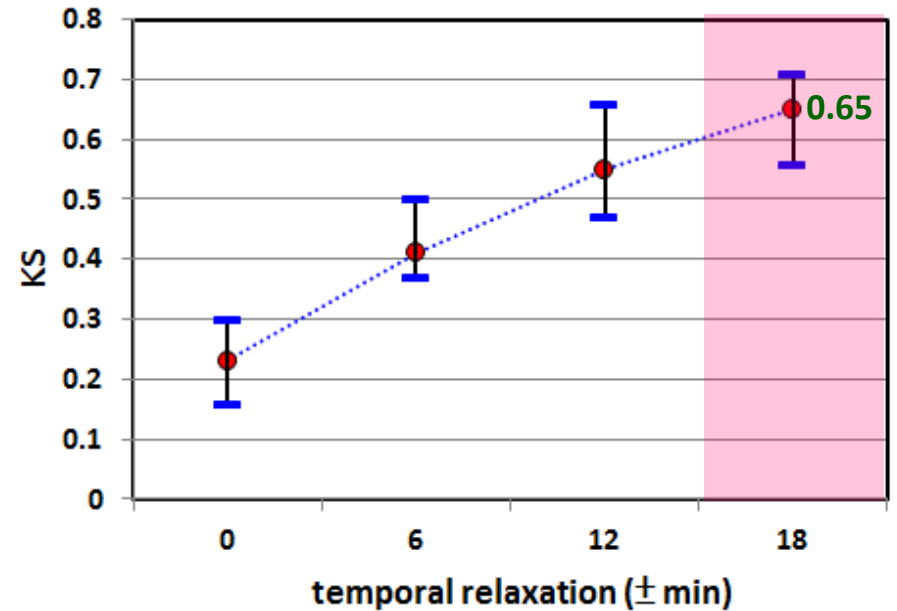
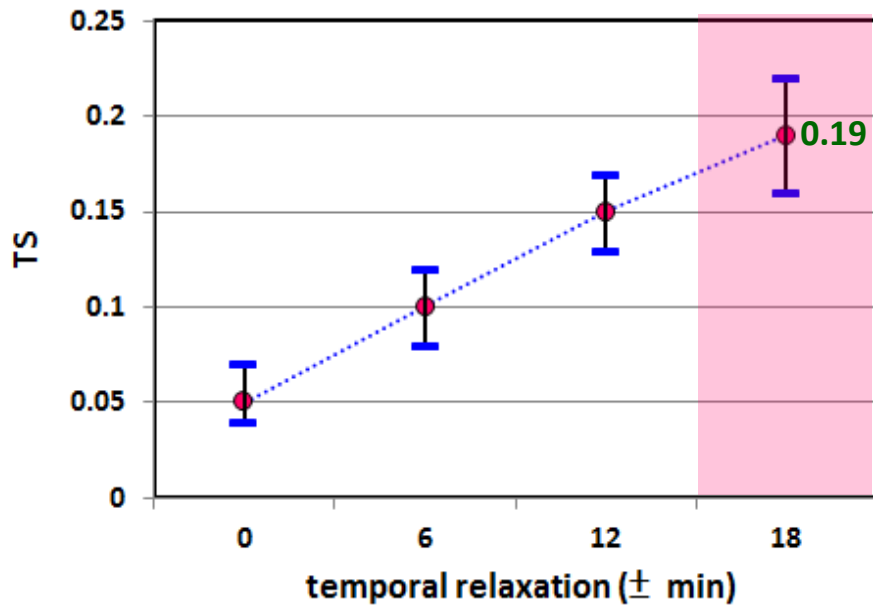
Sensitivity of scores to spatial relaxation (Pt=0.6)

- Score median with 95% confidence interval (CI)



Sensitivity of scores to temporal relaxation (Pt=0.6)

- Score median with 95% confidence interval (CI)



A colorful illustration of a forest scene. In the foreground, a blue bird with a white belly is perched on a tree branch, looking towards the left. To its right, a brown squirrel is also perched on a branch, looking towards the right. In the background, a green frog is visible on a tree trunk. The scene is set against a backdrop of green foliage and a bright, yellowish sky.

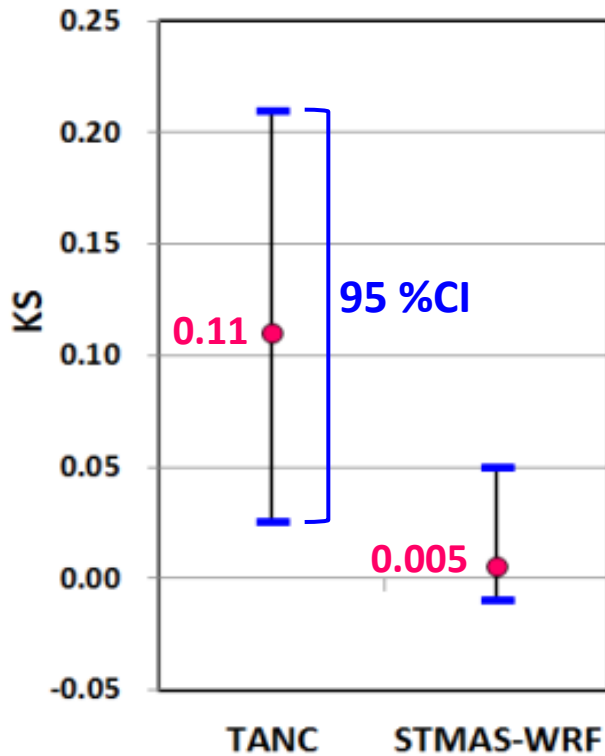
For nowcasts of afternoon convective storm initiation, the performance of TANC seems not satisfying...

Does it surpass other short-range models available currently?

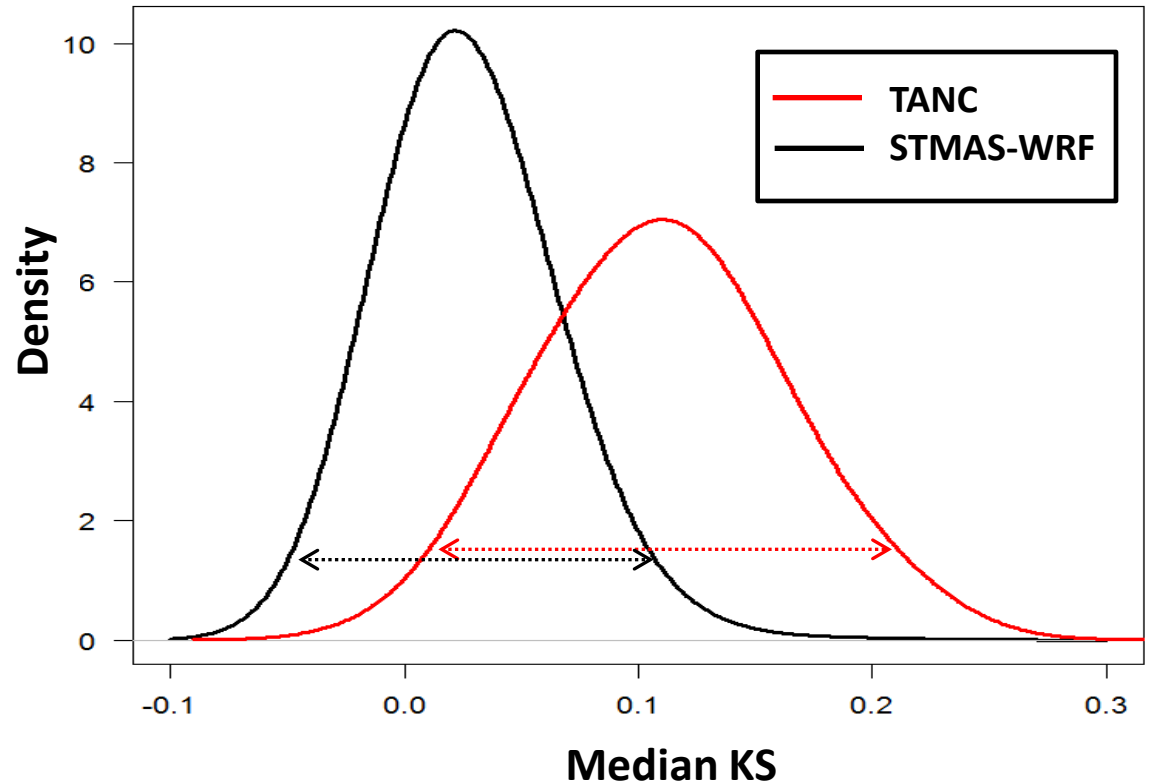
Comparison of TANC and STMAS-WRF

- bootstrap resampling process

(a) Sample median and 95%CI



(b) Resampling distribution



If adopting median KS as an index of forecast ability, the TANC is more skillful than the STMAS-WRF, but its sample variability is larger.

Comparison of TANC and STMAS-WRF

➤ Mann-Whitney Test for Median Comparison

The Mann-Whitney test determines the p -value using a normal approximation, which is calculated as follows:

$$Z_w = \frac{\left| W - \frac{n(m+n+1)}{2} \right| - 0.5}{\sqrt{\frac{mn}{12} \left[(m+n+1) - \frac{\sum_{i=1}^K (t_i^3 - t_i)}{(m+n)(m+n-1)} \right]}}$$

W = Mann-Whitney test statistics

n = the size of sample 1 (STMAS-WRF)

m = the size of sample 2 (TANC)

$i = 1, 2, \dots, K$

K = the number of sets of ties

t_i = the number of tied values in the i -th set of ties

For median KS comparison:

P -value = 0.08

➔ The TANC and STMAS-WRF are significantly different at 10 % test level.

Summary

- Based on the 2014 cases, the optimal probability threshold (Pt) for the afternoon convective storms is 0.6
 - On the basis of this Pt, the TS (KS) is up to 0.17 (0.59) as a spatial uncertainty of 4 km is allowed.
 - The TS (KS) is up to 0.19 (0.65) as a temporal uncertainty of 18 minutes is allowed.
- For the prediction of afternoon storms, the TANC significantly surpasses the STMAS-WRF at the 10 % test level.